

## Learning Outcomes – MATH 10041 – Chapter 9

<b>Ch.</b>	<b>Sec.</b>	<b>Big idea</b>	<b>Learning outcomes – Conceptual</b>	<b>Learning Outcomes - Observable</b>
9	1	Sample Means of Random Samples	<p>Understand bias and precision of an estimator;                      A population parameter is fixed, but sample statistics vary from sample to sample;                      There are three levels of data involved in taking random samples: the population, the individual samples, and the distribution of sample statistics;                      Sample statistics can be graphed and summarized in a distribution, just as raw data may be graphed and summarized;                      Understand the effect of sample size on the S.E.</p>	<p>Explain what a sampling distribution is;                      Explain how bias and precision of an estimator are measured;                      Determine the bias and precision of a given estimator;                      Write a definition of standard error;                      Determine the standard error of a sampling distribution of sample means and interpret it in context;                      Appropriately use <math>\mu</math> and <math>\bar{x}</math> in context.</p>
	2	The Central Limit Theorem for Sample Means	<p>Although sample statistics vary from the population parameter, they vary in a predictable way;                      Understand how the Central Limit Theorem describes the shape, center, and spread of sampling distributions of sample statistics;                      Understand the need for the <math>t</math>-distribution;                      Understand the similarities and differences between the standard normal distribution and the <math>t</math>-distributions.</p>	<p>Generate sampling distributions of means to observe, empirically, the Central Limit Theorem;                      Determine the mean and standard deviation of a sampling distribution of means;                      Recognize situations in which the CLT does/does not apply;                      Use the Central Limit Theorem in approximating distributions of sample means;                      Understand how the degrees of freedom determine the shape of a <math>t</math>-distribution,</p>
	3	Answering Questions about the Mean of a Population	<p>Understand that a confidence interval is an estimate of a parameter, with a margin of error;                      Understand what 95% refers to in a confidence interval.</p>	<p>Recognize situations in which the CLT applies and a confidence interval is appropriate;                      Recognize situations where a confidence interval is not needed (i.e. know the parameter);                      Construct a confidence interval for a population mean using the <math>t</math>-multiplier;                      Interpret a confidence interval for a population mean;                      Evaluate the validity of claims using a confidence interval;                      Correctly state the meaning of 95% while interpreting a confidence interval.</p>
	4	Hypothesis Testing for Means	<p>Understand the logic and framework of the inference of hypothesis testing.</p>	<p>Given a research question, conduct a hypothesis test for a population mean;                      Make a decision using <math>p</math>-value and draw an appropriate conclusion;                      Relate a “Type I” error and level of significance for a hypothesis test when making a decision.</p>