

The normal length L of a giant earthworm (measured in cm) is approximately a functions of its age t (measured in weeks). This function can be represented by the following piece-wise symbol rule:

$$L(t) = \begin{cases} 1.5t & , \text{ if } 0 < t \leq 4 \\ 0.5t + 4 & , \text{ if } 4 < t < 6 \\ 7 & , \text{ if } 6 \leq t \leq 10 \end{cases}$$

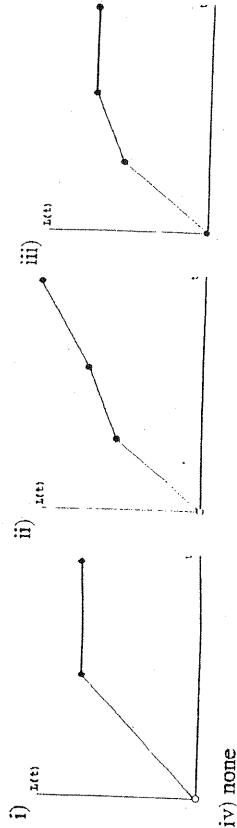
1. What is the normal length of a giant earthworm that is 4 weeks old?
Express this information in function notation. 1. _____

2. Evaluate $L(8)$ and then interpret this value in the context of the problem. 2. _____

3. What is the domain of L ? 3. _____

What does this domain tell you about the normal life span of a giant earthworm?

4. Which of the following graphs *could be* a good graph of the function L ? Circle your answer.



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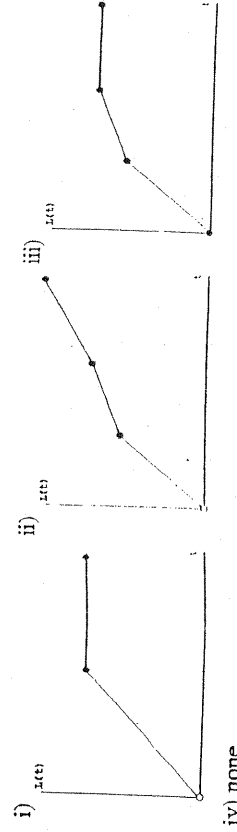
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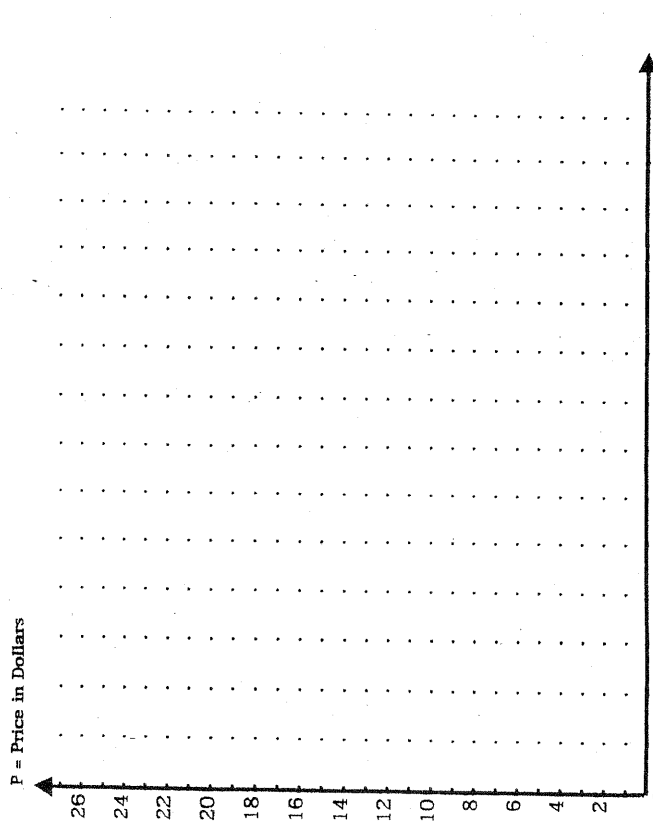
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Name: ID#: Sec:

1. The cost of one pound of candy is \$2.00. If you buy more than 10 lbs. of candy, then for each additional pound over 10 lbs. you are charged \$1.50/lb.

a) Graph below very neatly the price, P, you pay as a function of the number of pounds, x, you buy, for $0 \leq x \leq 14$ lbs.

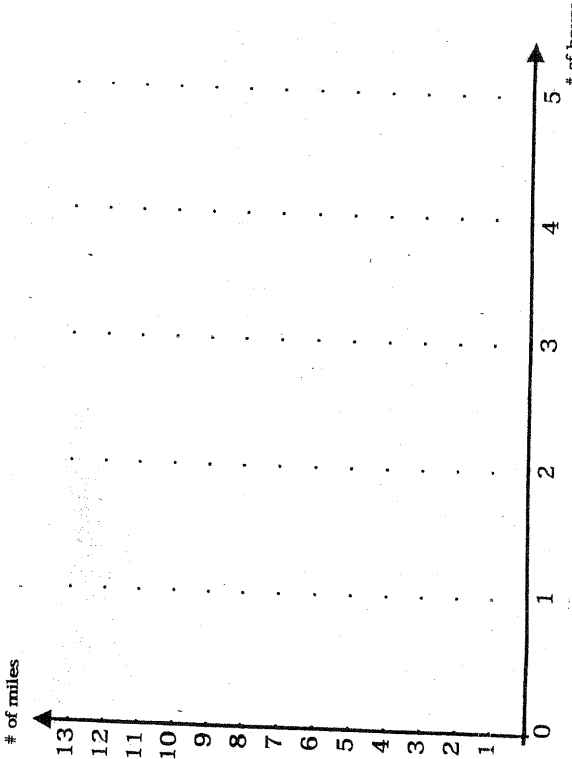


b) Write the equations of the P(x) along with their domain of definition.

Simplified: $P(x) = \left\{ \begin{array}{l} \dots\dots\dots \\ \dots\dots\dots \end{array} \right.$

2. Margie walked away from her house for 2 hours at 3 miles/hour; next, she jogged for 1 hour at 5 miles per hour. After that, she stopped for one hour to rest. After her rest, she resumed her walk towards her house at a speed of 2 miles/hour.

a) Graph her distance, D(t), from her house from the moment she left her house, for $0 \leq t \leq 5$.



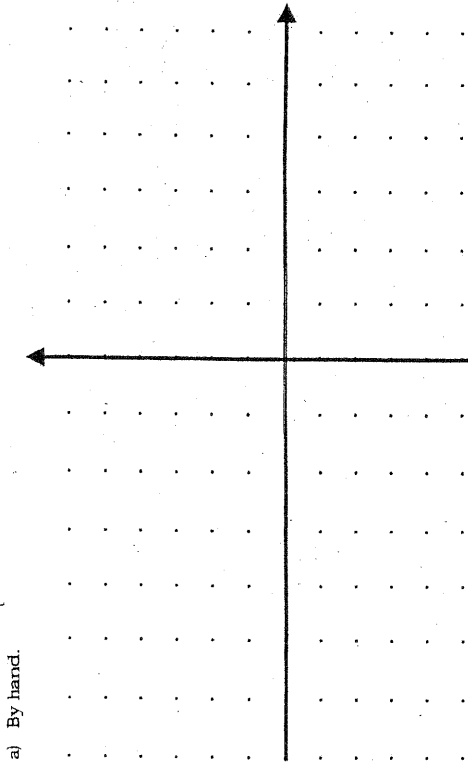
b) Determine the piecewise defined function D(t).

$D(t) = \left\{ \begin{array}{l} \dots\dots\dots \\ \dots\dots\dots \\ \dots\dots\dots \\ \dots\dots\dots \end{array} \right.$

c) Use the above equations to determine algebraically how far was Marge from her home (show your work)...

- 1.5 hours after she left home
- 2.5 hours after she left home
- 3.5 hours after she left home
- 4.5 hours after she left home

3. Graph: $f(x) = \begin{cases} x+2 & -6 < x < -3 \\ 4 & -3 \leq x < 2 \\ -x+6 & 2 \leq x \leq 5 \end{cases}$ in the coordinate plane below.



- b) Evaluate algebraically. Show your work. Verify our answers from the graph.

- $f(-8) =$
- $f(-6) =$
- $f(-3) =$
- $f(0) =$
- $f(2) =$
- $f(4) =$
- $f(5) =$
- $f(10) =$

4. Determine the equations and their respective domains of the piecewise defined function depicted below.

